

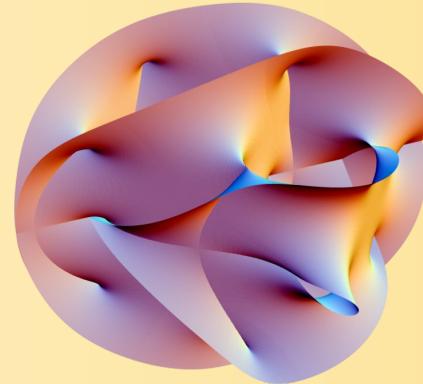


# Dark energy from Dark bubbles in a Dark dimension

Ivano Basile | LMU

# Strings & the real world

- ❖ grocery list of string pheno/cosmology:
  - small (if any) extra dimensions
  - small (positive) **dark energy**  $\sim +10^{-120} M_{\text{Planck}}^4$
  - “details” (gauge groups, (chiral) matter, etc.)
  - **SUSY breaking** tied to all these\*



each is difficult! different approach?

\*moduli stabilization, dS, light spectra...

# Guided by the swampland

- ❖ recurring issues in stringy model building:
  - hard to **separate** (bulk) scales (*cf. N. Cribiori's talk*)
  - hard to get (quasi)-**de Sitter** (*cf. A. Westphal's talk*)
  - issues w/ soft **SUSY breaking** (*cf. M. Scalisi's talk*)
  
- ❖ “**thread the needle**”... or **take the hint?**
  - ~~SUSY~~ AdS w/o scale separation
  - embrace ~~high-energy~~ SUSY

*unstable AdS → braneworld cosmology*



(Nahal Taninim, Israel)

# Dark bubble cosmology

- ❖ ***unstable AdS*** nucleates bubbles/branes
  - induced ***dS braneworld*** (not RS)
  - exploit instability (~~SUSY~~)
- ❖ ***alternative 4d gravity mechanism***
  - matter = stretched strings
  - “sandwich” construction

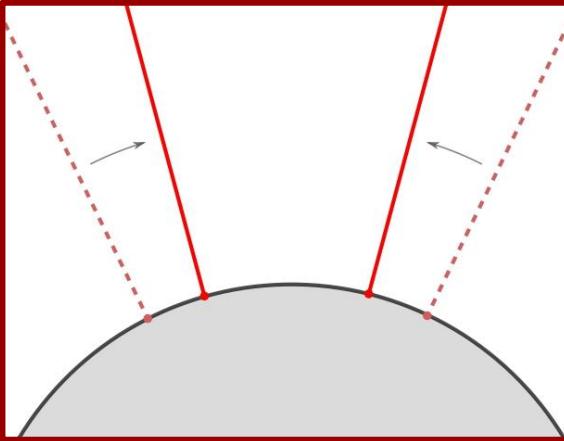
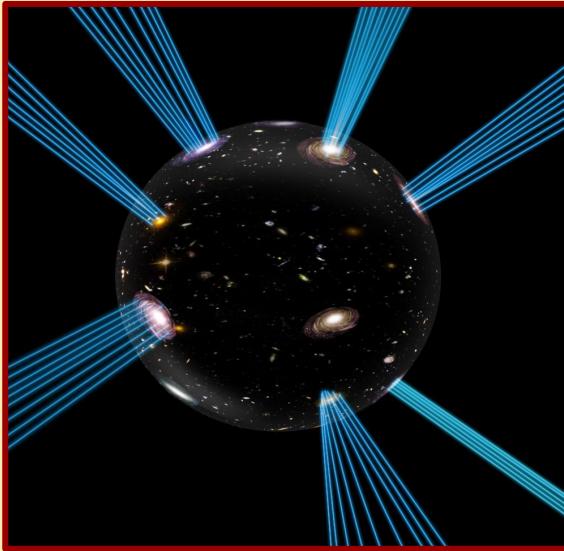
(Banerjee, Danielsson, Dibitetto, Giri, Schillo, 2018-2022)

(Danielsson, Henriksson, Panizo, 2022)

(Danielsson, Van Hemelryck, Van Riet, 2022)

(Danielsson, Panizo, Tielemans, Van Riet, 2021)

credits to them for the relevant figures!



# Life on the brane

$$R_{abcd}^{5d} = R_{abcd}^{4d} + K_{ad}K_{cb} - K_{cd}K_{ab}$$

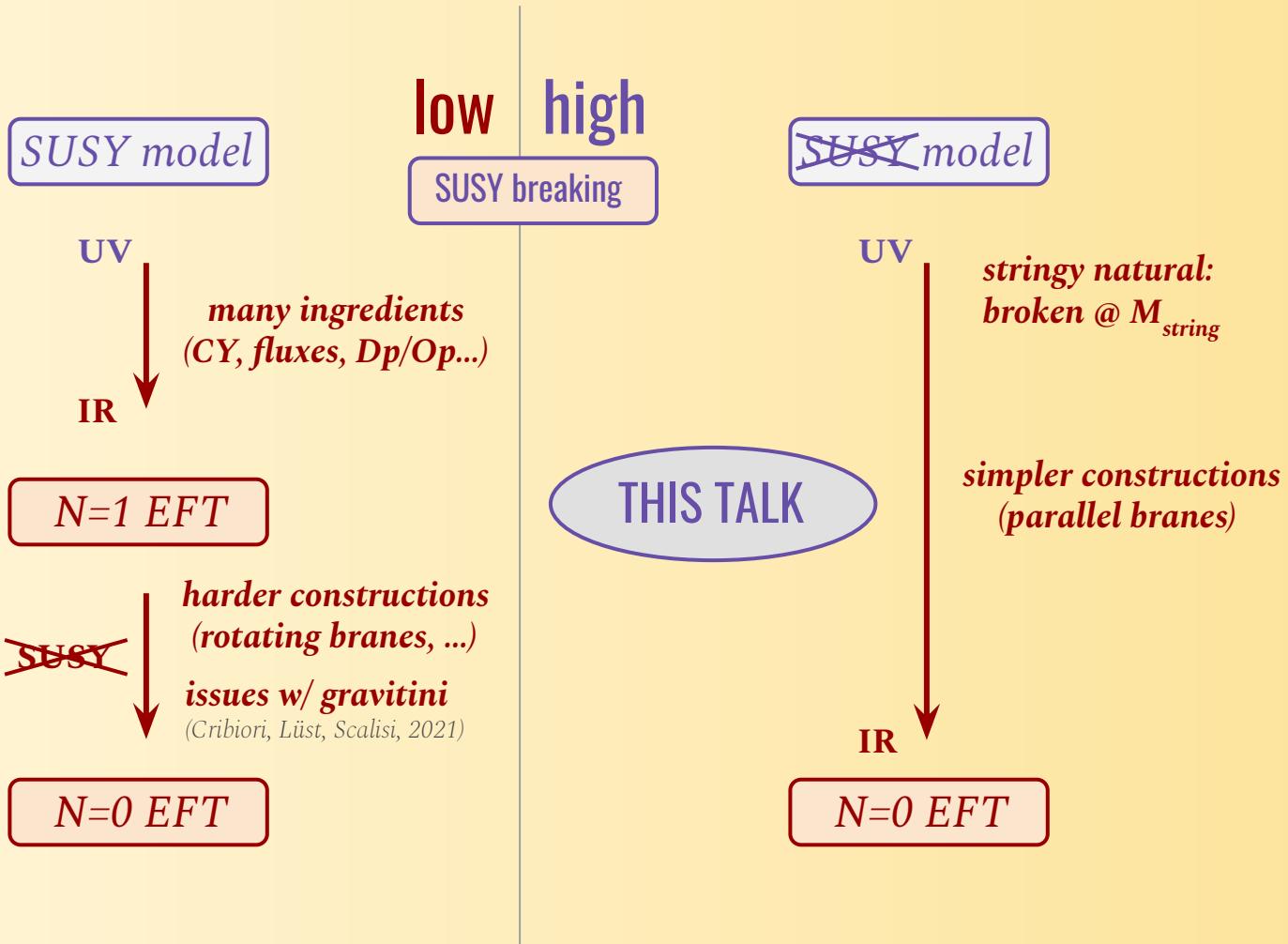
- ❖ gravity on the brane:
  - graviton propagator
  - Gauss-Codazzi projection
  
- ❖ stuff on the brane
  - *AdS BHs* → **radiation**
  - *AdS strings* → **matter**

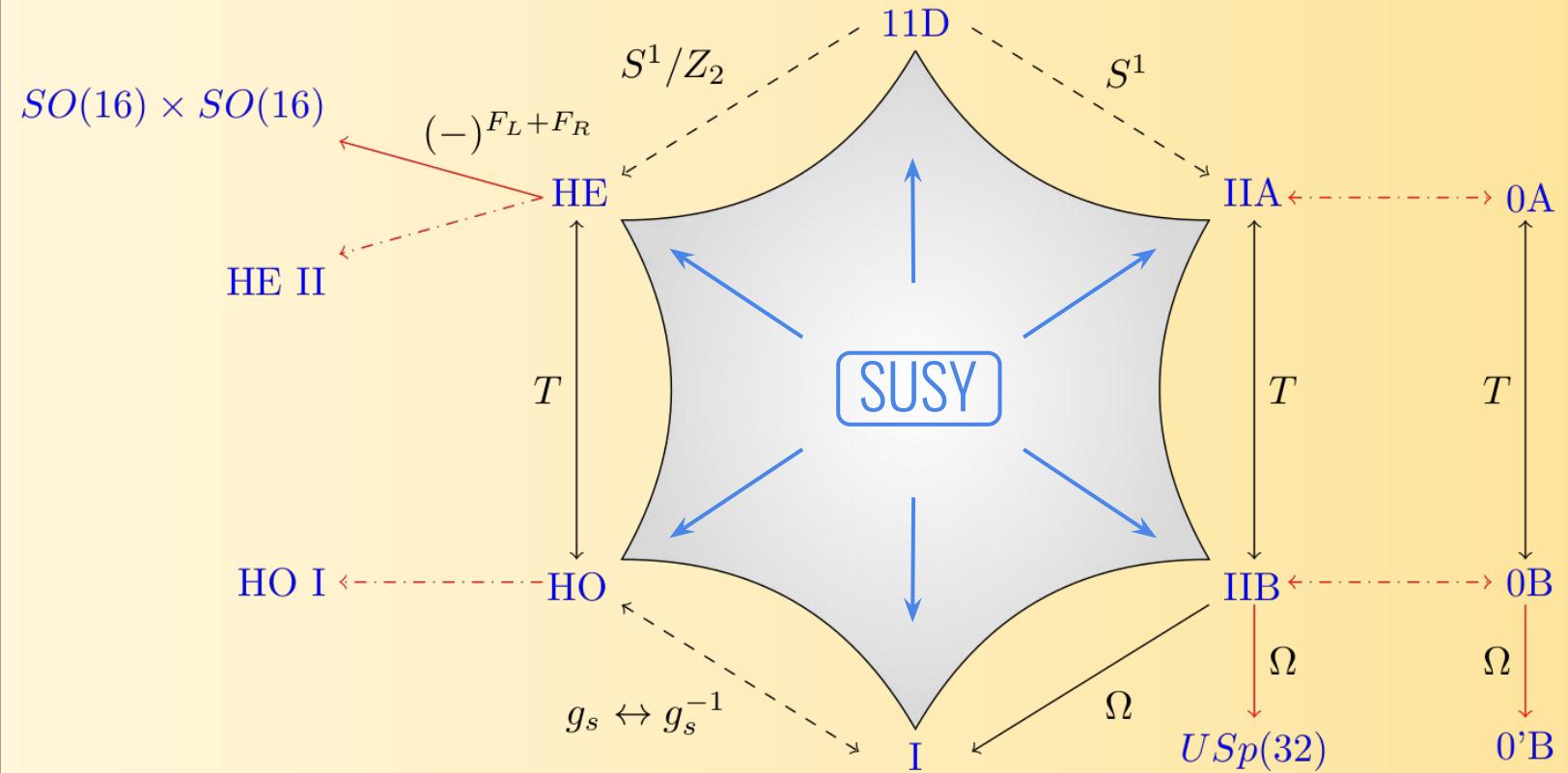
$$G_{ab}^{4d} = T_{ab}^{\text{brane}} + T_{ab}^{\text{sources}}$$

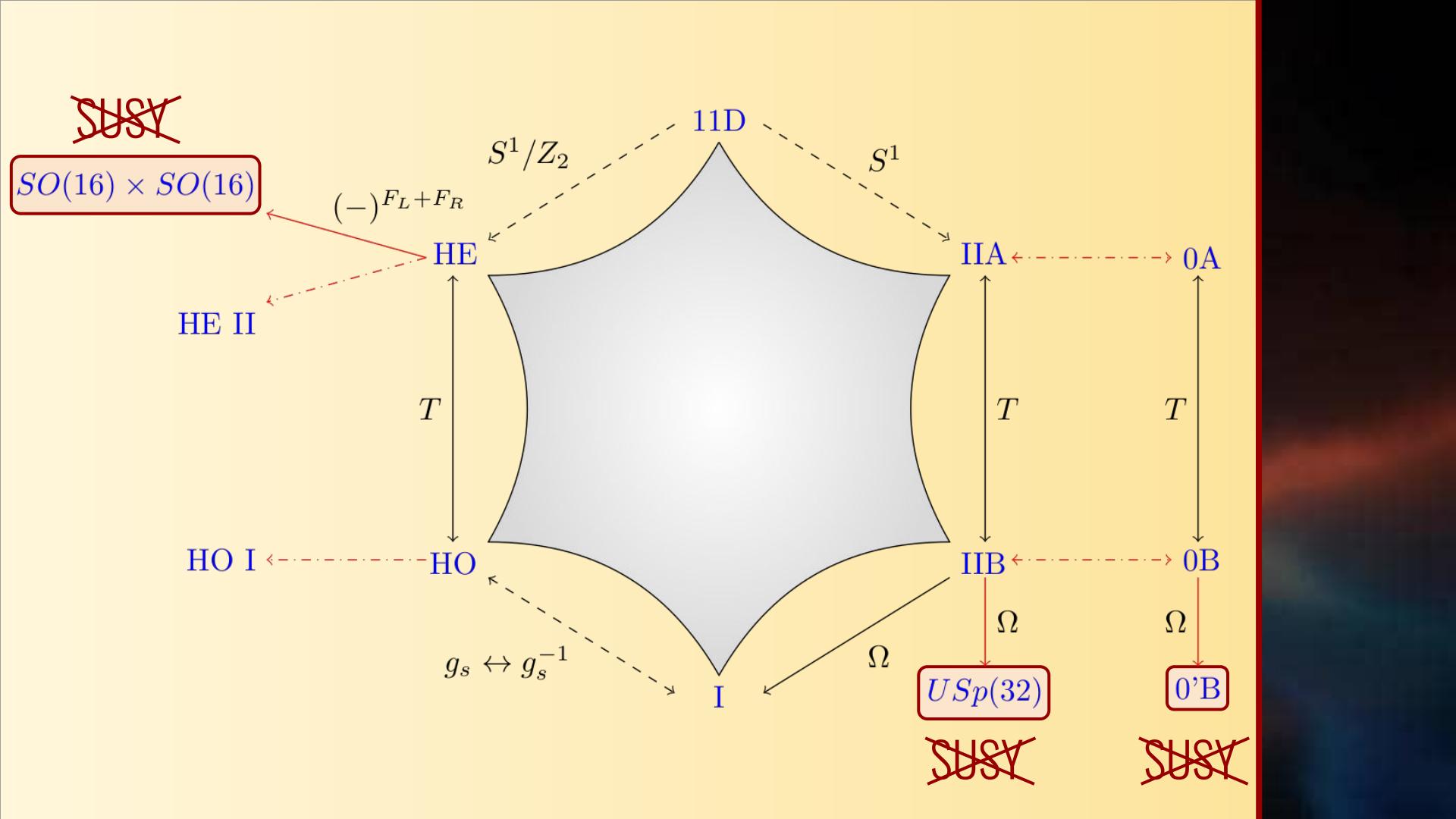
$$\Lambda_{\text{brane}} \propto \left( \frac{T_{\text{crit}}}{T} \right)^2 - 1$$

extended strings

this talk: stringy realization in ~~SUSY~~ models?





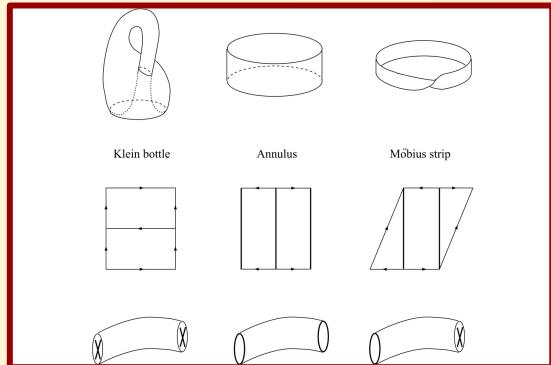


# How I learned to stop worrying and love ~~SUSY~~

*orientifold models:*

- ❖  $IIB \longrightarrow$  Sugimoto USp(32)
- ❖  $O B \longrightarrow$  Sagnotti  $O'B$  U(32)

$O9 + 32$  anti- $D9 = \text{residual tension}$



*heterotic models:*

- ❖  $E_8 \times E_8 \longrightarrow SO(16) \times SO(16)$

(Alvarez-Gaume, Ginsparg, Moore, Vafa, 1986) (Dixon, Harvey, 1986)

quantum effects = **vacuum energy**

$$V(\phi) = V_0 e^{\gamma\phi}$$

# The 10d low-energy description

❖ fields in the 10d game:

➤ gravity (metric tensor)  $g_{\mu\nu}$

➤  $B$ -field (2-form)  $B_{\mu\nu} \rightarrow H = dB$

➤ dilaton (scalar)  $\phi$

$$\mathcal{L} = R - (\partial\phi)^2 - e^{\alpha\phi} H^2 - V_0 e^{\gamma\phi}$$

1-branes & 5-branes

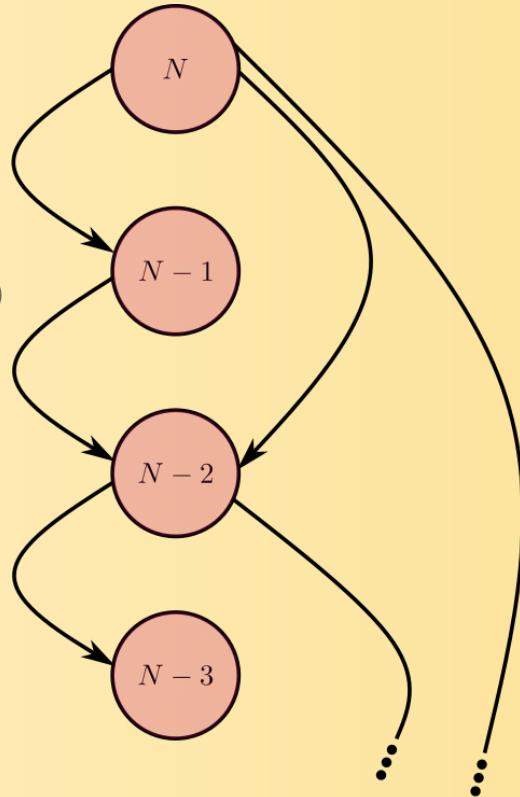
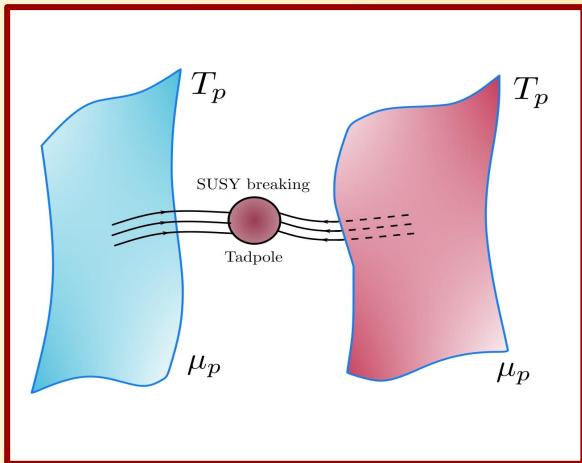
~~SUSY~~

no flat space vacuum! :(

+  $F_5$  flux & D3-branes in  $0'B$

# Getting down to business — AdS vacua

- ❖ *large flux (**many branes**) balances runaway*
  - *no dS vacua* whatsoever (IB, Lanza, 2020)
  - *Freund-Rubin **family of AdS***
  - *slow decay* to lower flux (**WGC**) (Antonelli, IB, 2019)



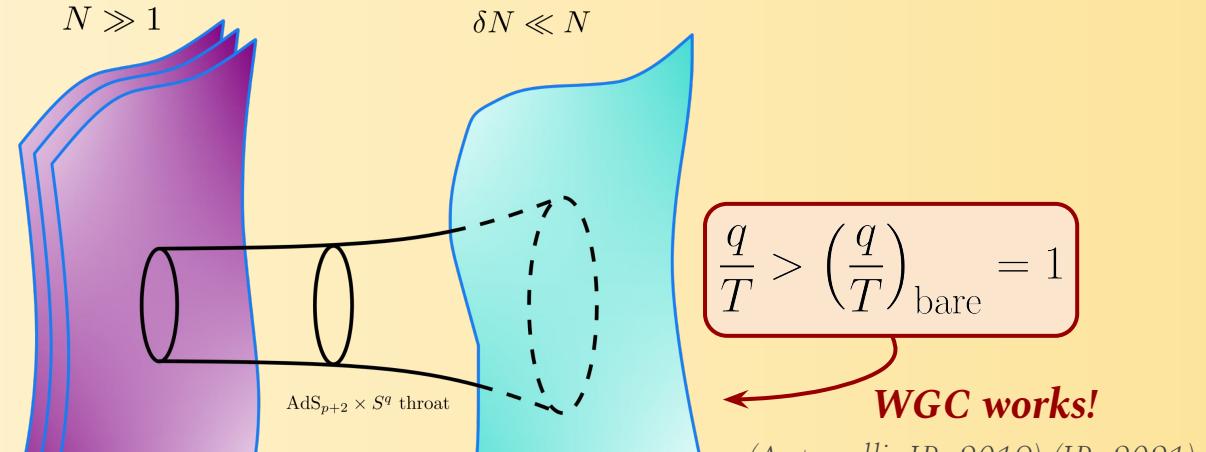
# Near-horizon geometry: AdS x M

$$ds^2 = L^2 \frac{du^2}{u^2} + \frac{\alpha'^2 u^2}{L^2} dx_{1,p}^2 + R^2 d\Omega_{8-p}^2$$

- ❖ small curvatures     $\mathcal{R} \propto N^{-\frac{3}{8}}$  or  $N^{-\frac{5}{4}}$
  - ❖ small coupling       $g_{\text{string}} \propto N^{-\frac{1}{4}}$  or  $N^{-\frac{1}{2}}$
- elec (p=1)    mag (p=5)*
- only free parameter:  $\boxed{N}$

**exception:** D3-branes in  $O'B...$

# Unstable AdS = parallel branes repel (here D1 or NS5)



$$\frac{q}{T} > \left(\frac{q}{T}\right)_{\text{bare}} = 1$$

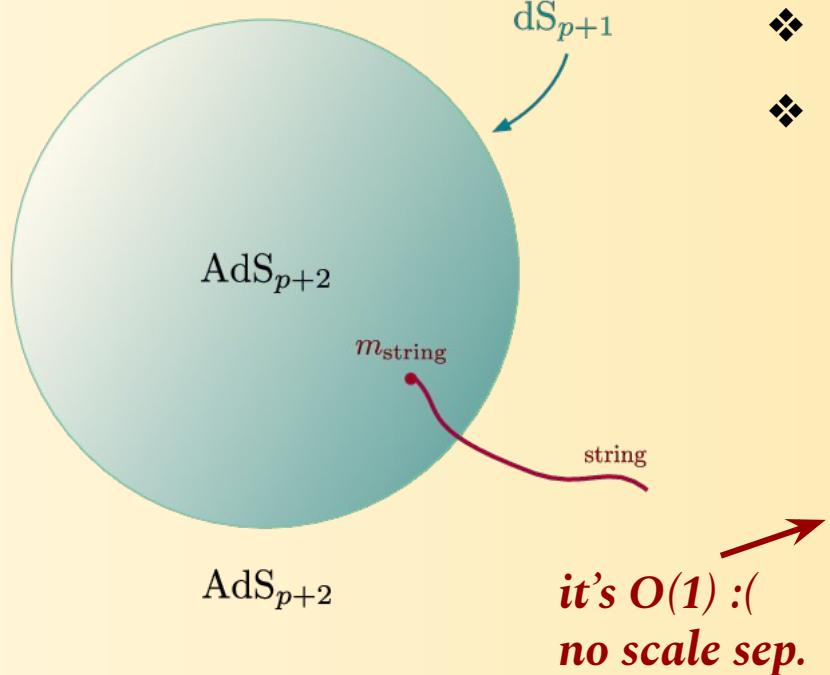
← **WGC works!**

(Antonelli, IB, 2019) (IB, 2021)

$$V_{\text{probe}} = \left(\frac{L}{Z}\right)^{p+1} \left(1 \pm \frac{q}{T}\right)$$

# Ride the bubble out of the swampland

(IB, Lanza, 2020)



- ❖ *observer on bubble:  $dS$  gravity!*
- ❖ *now with microscopic data*
  - *matter on the brane*
  - *gauge groups  $U(n), Sp(n)$*
  - *wrong dimension (oops)*

$$\frac{\Lambda_{\text{dS}}}{|\Lambda_{\text{AdS}}|} \propto \left(\frac{q}{T}\right)^2 - 1$$

# Next attempt: D3-branes in O'B

(Angelantonj, Armoni, 1999-2000) (IB, 2021)

$$ds^2 = L^2(u) \frac{du^2}{u^2} + \frac{\alpha'^2 u^2}{L^2(u)} dx_{1,3}^2 + R^2(u) d\Omega_5^2$$

$$L^2(u), R^2(u), g_s N \sim (\text{SUSY}) + \frac{T}{N} \log u$$

quasi-extremal: parametric scale separation?

# Scale separation, like all dark magic, comes at a price

$$\frac{\Lambda_{\text{dS}}}{|\Lambda_{\text{AdS}}|} \sim g_s^2 N \log a(\tau)$$

*control on EFT > Hubble time:  
bounds on “dark dimension(s)”*



$$\Lambda_{\text{dS}}^{1/2} \lesssim \Lambda_{\text{AdS}} \lesssim \Lambda_{\text{dS}}^{1/6}$$

- ❖ *small running dark energy: generic (?) feature of these models*
- ❖ *4d world, chiral fermions,  $\mathbf{U(n)}$  gauge groups, no SUSY...*
- *coupling to 4d gravity from 10d open strings: work in progress*

# Outlook

- ❖ different “model-building pipeline”
- ❖ different pros & cons
  - vacuum (*in*)**stability** vs moduli **stabilization**
  - (*quasi-*)**dS braneworlds** from (0'B) ~~SUSY~~ strings?
  - how does a **full EFT** (gravity + matter QFT) work?

*thank you!*



| <i>pros</i>  | <b>low</b> | <b>high</b>  | <i>pros</i>  |
|--|------------|--|--|
| <ul style="list-style-type: none"><li>❖ <i>computational control</i></li><li>❖ <i>vacuum stability</i></li></ul> |            | <ul style="list-style-type: none"><li>❖ <i>no moduli (usually)</i></li><li>❖ <i>no IR superparticles</i></li></ul> |  |
| <b><i>cons</i></b>   |            | <b><i>cons</i></b>   | <ul style="list-style-type: none"><li>❖ <i>moduli stabilization</i></li><li>❖ <i>scale separation</i></li></ul> <ul style="list-style-type: none"><li>❖ <i>much less control</i></li><li>❖ <i>vacuum instabilities</i></li></ul> |

# Breaking SUSY: heterotic



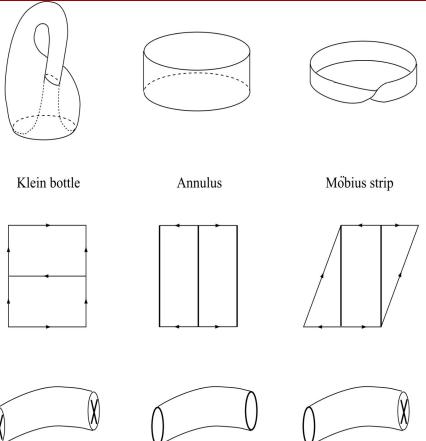
$$\mathcal{T}_{E_8 \times E_8} = \int_{\mathcal{F}} \frac{d^2\tau}{\tau_2^6} \frac{1}{|\eta(\tau)|^{16}} \left[ (V_8 - S_8) \overline{(O_{16} + S_{16})^2} \right]$$

$\downarrow$   
*projection + modular invariance*

$$\begin{aligned} \mathcal{T}_{SO(16) \times SO(16)} = & \int_{\mathcal{F}} \frac{d^2\tau}{\tau_2^6} \frac{1}{|\eta(\tau)|^{16}} \left[ O_8 \overline{(V_{16} C_{16} + C_{16} V_{16})} + \right. \\ & \quad \text{NS-NS (gravity) + gauge} \quad V_8 \overline{(O_{16} O_{16} + S_{16} S_{16})} - \\ & \quad \text{128}_1 + \text{128}_2 \text{ left fermions} \quad S_8 \overline{(O_{16} S_{16} + S_{16} O_{16})} - \\ & \quad \text{(16,16) right fermions} \quad C_8 \overline{(V_{16} V_{16} + C_{16} C_{16})} \left. \right] \end{aligned}$$

# Breaking SUSY: orientifolds (one example)

- ❖ unoriented strings
  - Klein bottle
  - annulus
  - Möbius



$$\mathcal{K} = \frac{1}{2} \int_0^\infty \frac{d\tau_2}{\tau_2^6} \frac{(V_8 - S_8)(2i\tau_2)}{\eta^8(2i\tau_2)}$$

**Chan-Paton**

$$\mathcal{A} = \frac{N^2}{2} \int_0^\infty \frac{d\tau_2}{\tau_2^6} \frac{(V_8 - S_8)\left(\frac{i\tau_2}{2}\right)}{\eta^8\left(\frac{i\tau_2}{2}\right)}$$

**O9 tension**

$$\mathcal{M} = \frac{\pm N}{2} \int_0^\infty \frac{d\tau_2}{\tau_2^6} \frac{\left(\widehat{V}_8 \pm \widehat{S}_8\right) \left(\frac{i\tau_2}{2} + \frac{1}{2}\right)}{\widehat{\eta}^8\left(\frac{i\tau_2}{2} + \frac{1}{2}\right)}$$

**O9 charge**

# How I learned to stop worrying and love ~~SUSY~~

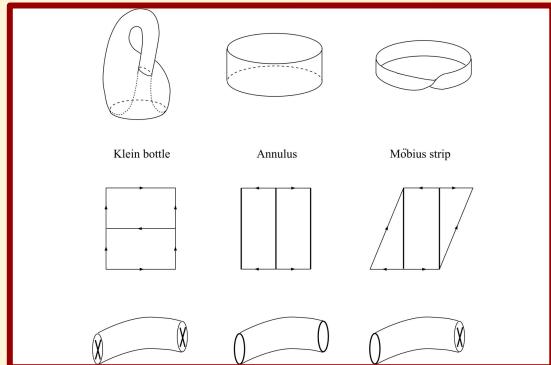
*orientifold models:*

$$O9 + 32 \text{ anti-}D9 = \text{residual tension}$$

*heterotic models:*

$$\text{quantum effects} = \text{vacuum energy}$$

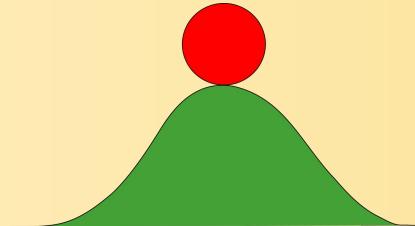
$$(32T_{D9} + T_{O9})e^{-\phi}$$



$$\int_{\mathcal{F}} \frac{d^2\tau}{\text{Im}(\tau)^2} (\dots) e^{-0\phi}$$

$$V(\phi) = V_0 e^{\gamma\phi}$$

# Perturbative stability: BF bounds



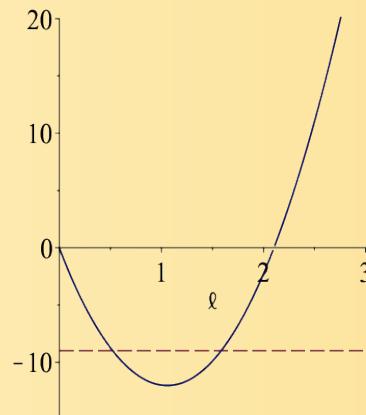
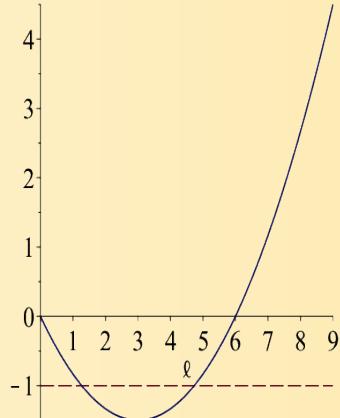
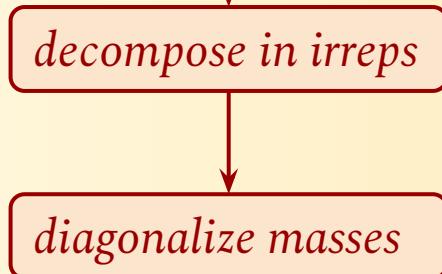
*scalar KK modes*

$$\begin{aligned} & g_{\mu\nu} + \delta g_{\mu\nu} \\ & B_{\mu\nu} + \delta B_{\mu\nu} \\ & \phi + \delta\phi \end{aligned}$$



❖ orientifolds  $\ell = 2, 3, 4$

❖ heterotic  $\ell = 1$  kill w/  $Z_2$



# Perturbative stability: multitrace effects

*explicit heterotic background:*  $\text{AdS}_7 \times \text{RP}^3$

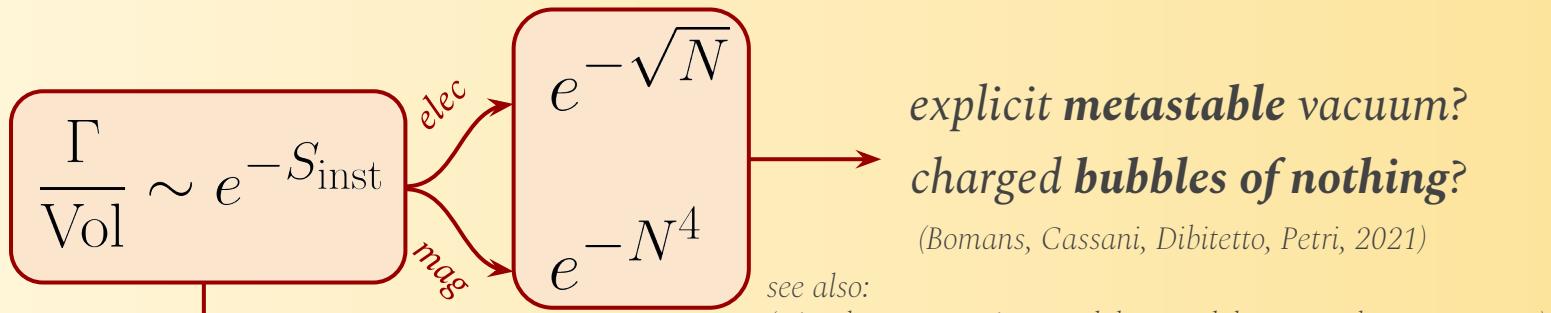
- ❖ multitrace-induced instability? (Aharony, Gur-Ari, Klinghofer, 2015)
- ❖ need single-trace conformal dimensions summing to  $6^*$

$$m^2 L_{\text{AdS}}^2 = \Delta(\Delta - 6) \longrightarrow \Delta_{\text{s.tr.}} \gtrsim 5.59$$



\*thanks to A. Guarino, E. Malek, C. Sterckx!

# Nonperturbative instabilities: brane nucleation



consistency *requires/predicts*:

- ❖ WGC bound  $q > T$
- ❖ correct tension of  $Dp$  or  $NS5!$

$$T_{\text{dressed}} = \frac{T}{g_s} \boxed{\sigma=1,2,\dots}$$

